



Frameworks

Advanced Machine Learning for NLP Jordan Boyd-Graber NEURAL NETWORKS IN DYNET

Slides adapted from Chris Dyer, Yoav Goldberg, Graham Neubig

- Computation Graph
- Expressions (nodes in the graph)
- Parameters
- Model (a collection of parameters)
- Trainer

import dynet as dy

dy.renew_cg() # create a new computation graph

```
v1 = dy.inputVector([1,2,3,4])
v2 = dy.inputVector([5,6,7,8])
# v1 and v2 are expressions
```

```
v3 = v1 + v2
v4 = v3 * 2
v5 = v1 + 1
v6 = dy.concatenate([v1,v3,v5])
```

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v4 = v3 * 2
v5 = v1 + 1
v6 = dy.concatenate([v1,v3,v5])
>>> print(v6)
expression 5/1
>>> print(v6.npvalue())
[ 1. 2. 3. 4. 6. 8. 10. 12. 2. 3. 4.
```

F

- Create basic expressions.
- Combine them using operations.
- Expressions represent symbolic computations.
- Actual computation:

```
.value()
.npvalue()
.scalar_value()
.vec_value()
.forward()
# flatten to vector
# compute expression
```

- Parameters are the things that we optimize over (vectors, matrices).
- Model is a collection of parameters.
- **Parameters** out-live the computation graph.

```
model = dy.Model()
pW = model.add_parameters((2,4))
pb = model.add_parameters(2)
dy.renew_cg()
x = dy.inputVector([1,2,3,4])
W = dy.parameter(pW) # convert params to expression
b = dy.parameter(pb) # and add to the graph
```

 $y = W \star x + b$

Let's inspect x, W, b, and y.

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array([[ 0.64952731, -0.06049263, 0.90871298, -0.11073416]

[ 0.75935686, 0.25788534, -0.98922664, 0.20040739]
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>>> b.value()
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>>> y.value()
[1.267316222190857, -1.5515896081924438]
```

init=dy.NormalInitializer(0,1))

Glorot Initialization

$$\mathcal{N}\left(w_i \,|\, \mathbf{0}, \frac{1}{n_{in} + n_{out}}\right) \tag{1}$$

- Initialize a Trainer with a given model.
- Compute gradients by calling expr.backward() from a scalar node.
- Call trainer.update() to update the model parameters using the gradients.

```
model = dy.Model()
```

trainer = dy.SimpleSGDTrainer(model)

```
p_v = model.add_parameters(10)
```

```
for i in xrange(10):
    dy.renew_cg()
```

```
v = dy.parameter(p_v)
v2 = dy.dot_product(v,v)
v2.forward()
```

```
v2.backward() # compute gradients
trainer.update()
```

dy.SimpleSGDTrainer(model,...)

dy.MomentumSGDTrainer(model,...)

dy.AdagradTrainer(model,...)

dy.AdadeltaTrainer(model,...)

dy.AdamTrainer(model,...)

- Create model, add parameters, create trainer.
- For each training example:
 - create computation graph for the loss
 - run forward (compute the loss)
 - run backward (compute the gradients)
 - update parameters

Model

$$\hat{y} = \sigma(\hat{v} \cdot \tanh(U\vec{x} + b)) \tag{2}$$

Loss

$$\ell = \begin{cases} -\log \hat{y} & \text{if } y = 0\\ -\log(1 - \hat{y}) & \text{if } y = 0 \end{cases}$$
(3)


```
model = dy.Model()
pU = model.add_parameters((4,2))
pb = model.add_parameters(4)
pv = model.add_parameters(4)
trainer = dy.SimpleSGDTrainer(model)
closs = 0.0
```

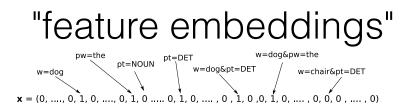
```
for x, y in data:
   # create graph for computing loss
  dy.renew cq()
  U = dy.parameter(pU)
  b = dy.parameter(pb)
  v = dy.parameter(pv)
  x = dy.inputVector(x)
   # predict
  yhat = dy.logistic(dy.dot_product(v,dy.tanh(U*x+b)))
   # 1055
  if v == 0:
      loss = -dy.log(1 - yhat)
  elif v == 1:
      loss = -dy.log(yhat)
   closs += loss.scalar value() # forward
   loss.backward()
   trainer.update()
```

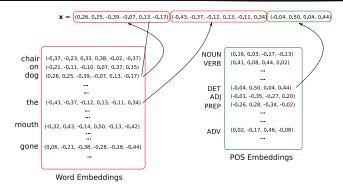
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```

Important: loss expression defines objective you're optimizing

- Create computation graph for each example.
- Graph is built by composing expressions.
- Functions that take expressions and return expressions define graph components.

- In NLP, it is very common to use feature embeddings.
- Each feature is represented as a *d*-dim vector.
- These are then summed or concatenated to form an input vector.
- The embeddings can be pre-trained.
- They are usually trained with the model.





```
vocab_size = 10000
emb_dim = 200
```

E = model.add_lookup_parameters((vocab_size, emb_dim))

```
dy.renew_cg()
x = dy.lookup(E, 5)
# or
x = E[5]
# x is an expression
```

Deep Unordered Composition Rivals Syntactic Methods for Text Classification

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Implementing a non-trivial example

$$w_1, \dots, w_N$$

$$\downarrow$$

$$z_0 = \mathsf{CBOW}(w_1, \dots, w_N)$$

$$z_1 = g(z_1)$$

$$z_2 = g(z_2)$$

$$\hat{y} = \mathsf{softmax}(z_3)$$

- Works about as well as more complicated models
- Strong baseline
- Key idea: Continuous Bag of Words

$$\mathsf{CBOW}(w_1,\ldots,w_N) = \sum_i E[w_i] \qquad (4)$$

- Actual non-linearity doesn't matter, we'll use tanh
- Let's implement in DyNet

 w_1, \dots, w_N \downarrow $z_0 = CBOW(w_1, \dots, w_N)$ $z_1 = g(z_1)$ $z_2 = g(z_2)$ $\hat{y} = \text{softmax}(z_3)$

```
Encode the document
def encode doc(doc):
    doc = [w2i[w] for w in doc]
    embs = [E[idx] for idx in doc]
    return dy.esum(embs)
First Layer
def layer1(x):
    W = dy.parameter(pW1)
    b = dy.parameter(pb1)
    return dy.tanh(W*x+b)
Second Layer
def layer2(x):
    W = dy.parameter(pW2)
    b = dy.parameter(pb2)
    return dy.tanh(W*x+b)
```

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Loss

```
def do_loss(probs, label):
    label = label_indicator[label]
    return -dy.log(dy.pick(probs,label)) # select that index
```

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Putting it all together

```
def predict_labels(doc):
    x = encode_doc(doc)
    h = layer1(x)
    y = layer2(h)
    return dy.softmax(y)
```

Training

```
for (doc, label) in data:
    dy.renew_cg()
    probs = predict_labels(doc)
    loss = do_loss(probs,label)
    loss.forward()
    loss.backward()
    trainer.update()
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- Parameters, LookupParameters
- Model (a collection of parameters)
- Trainers
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